

Learning the effects of dexamethasone and hydroxychloroquine on COVID-19 mortality outside of randomized trials: The stability-controlled quasi-experiment

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- ▶ Avoid presenting results that are understood to be “suggestive” even when they are arbitrarily wrong
- ▶ Tell us when we cannot make an inference – not give equally confident estimate regardless of credibility.

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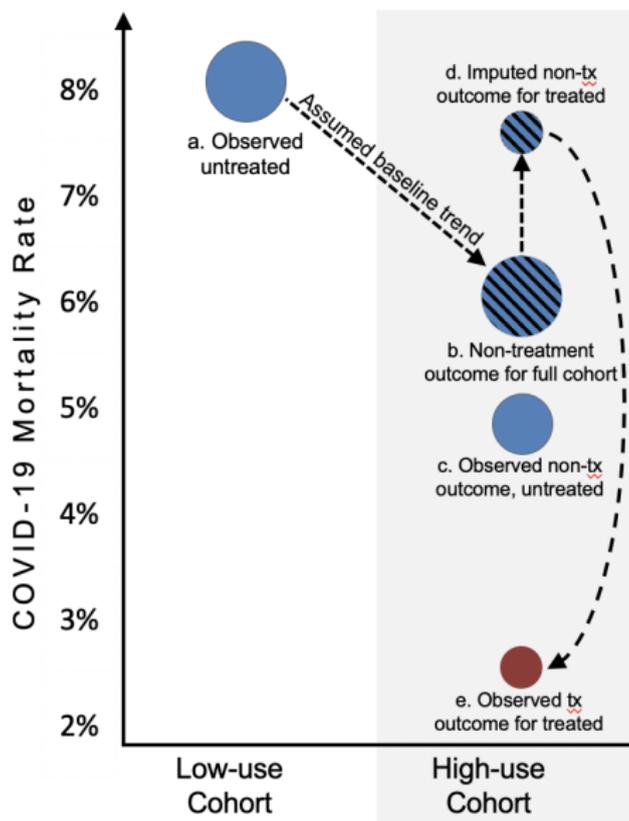
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Yet, it can still be quite informative!

# A graphical explanation: Dexamethasone and COVID-19 mortality



## The baseline trend assumption

“Change in the average outcome from one cohort to the next, not due to changes in the treatment.”

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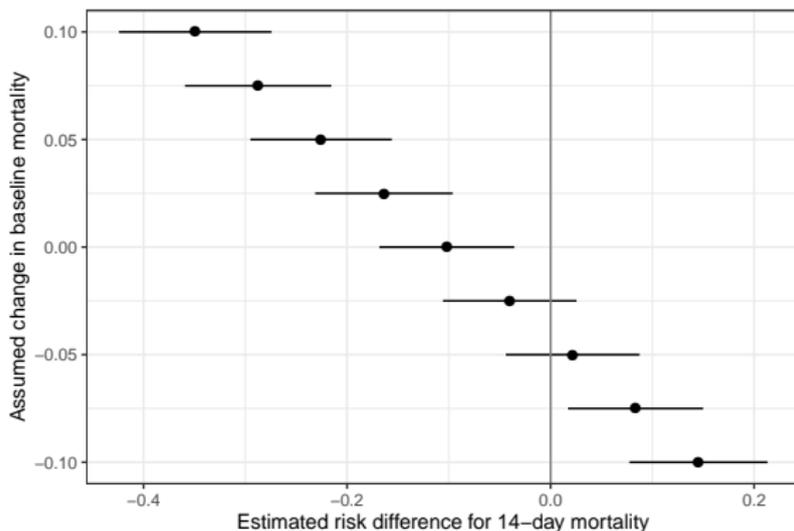
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## Some details

- ▶ We can (and will) also use this when there are treatment-takers in the first period or not, as long as there is a big change in treatment probability
- ▶ The cohorts could actually be groups from different facilities, if you can reason about difference in mortality (absent the treatment).

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For the methodologists:

- ▶ Yes, this is another way to say instrumental variables, but with violations of the exclusion restriction governed by the baseline trend
- ▶ Ask if you're curious about inference or other details

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The SCQE provides inferences based on these data and assumed baseline trends.

## Baseline trends to consider

What baseline trends are *ex ante* (im)plausible?

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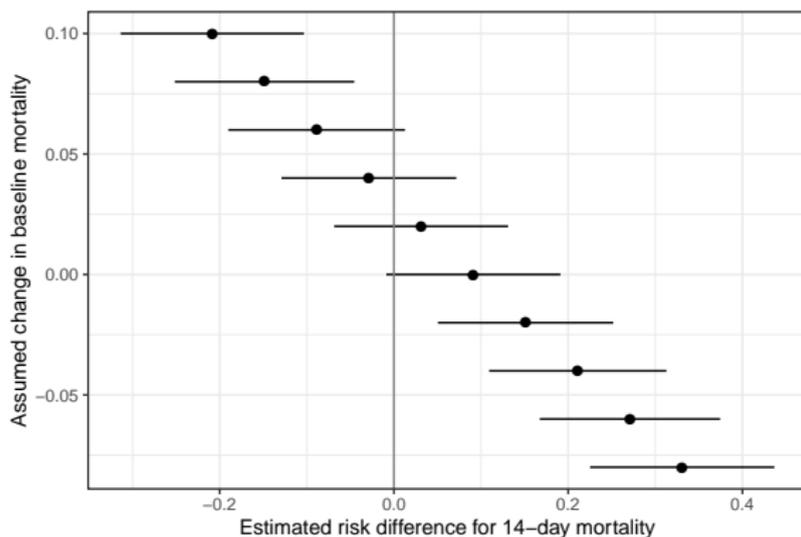
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Empirical comparison:

- ▶ No major changes in patient population (age, gender, ethnicity, risk factors, initial severity), other treatments tried, or predicted risk.
- ▶ Except remdesivir use, up by 8 percentage points.

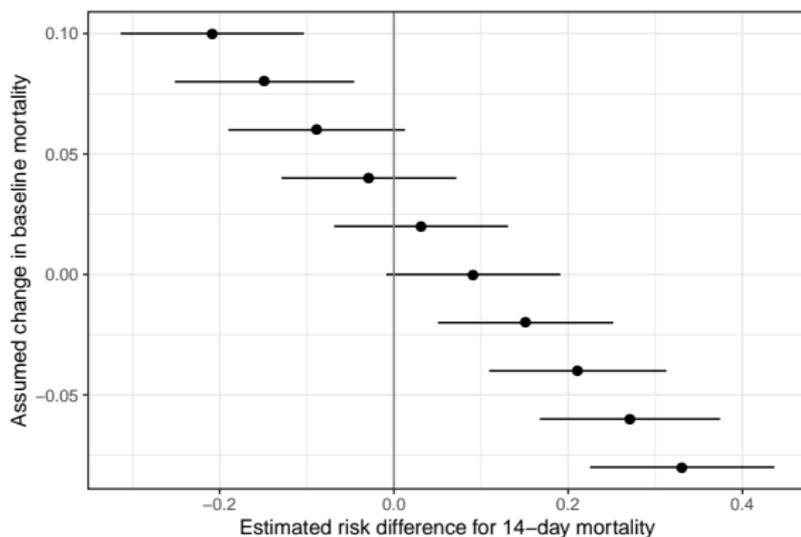
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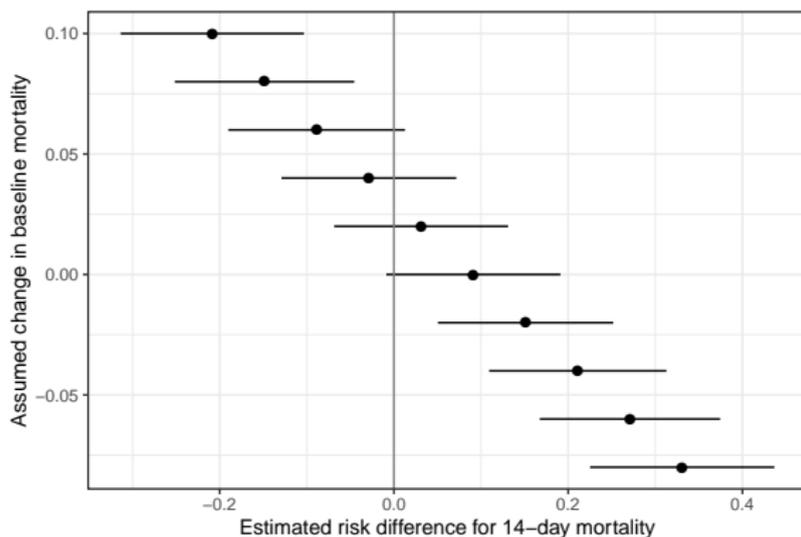
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- ▶ HCQ beneficial ( $p=0.05$ ) only if baseline mortality **decreased by 6.4 percentage points, a 55% reduction**
- ▶ Harmful ( $p=0.05$ ) if baseline mortality instead worsened over-time by just 0.3 percentage points (2.6% of the prior mortality rate!)

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## **Cohorts:**

- ▶ “Low-use” (first) cohort: days 44-101, 5.7% took dexamethasone
- ▶ “High-use” (second) cohort: days 102-200, 46% took dexamethasone.

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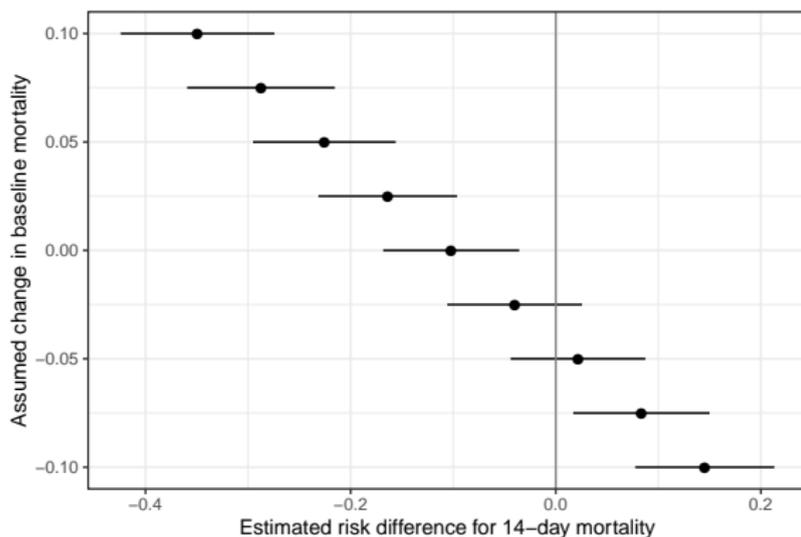
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No major observed differences between cohorts on characteristics, other treatments, or modeled risk, excepting remdesivir use (16 pp change)

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Figure 2: SCQE Estimates of risk difference for dexamethasone



- ▶ Beneficial ( $p=0.05$ ) if baseline mortality increasing, flat, or fell by 1.5 percentage points (26% of earlier mortality rate).
- ▶ Harmful ( $p=0.05$ ) if baseline mortality fell by 6.8 percentage points (a 93% reduction in baseline mortality, leaving mortality of just 0.4%.)

## Conclusions: Hydroxychloroquine and dexamethasone

- ▶ **Hydroxychloroquine:** Hard to support a beneficial claim; easy for it to be harmful.
- ▶ **Dexamethasone:** Plausibly but not definitively beneficial; harmful average effect was nearly impossible.

# Conclusions

Use-cases for SCQE in medicine:

- ▶ While we wait for RCTs people will look to observational studies – **let's make them safe.**
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Software:

- ▶ R package (under development):  
<https://github.com/chadhazlett/scqe>
- ▶ Plug in some cohort-wise averages and get some answers:  
[https://amiwulf.shinyapps.io/SCQE\\_demo/](https://amiwulf.shinyapps.io/SCQE_demo/)

## Extra slides

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Define the change in non-treatment average outcomes,

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Yielding the ATT,

$$\begin{aligned} ATT &= \mathbb{E}[Y(1)|D = 1, T = 1] - \mathbb{E}[Y(0)|D = 1, T = 1] \\ &= \mathbb{E}[Y|D = 1, T = 1] - \left( \frac{\mathbb{E}[Y|T = 0] - \mathbb{E}[Y|D = 0, T = 1](1 - \pi_1) + \delta}{\pi_1} \right). \end{aligned} \quad (3)$$

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Reminds us: only need a shift in probability of treatment, not totally new treatment (for LATE instead of ATT).

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- ▶ So dividing by the proportion treated ( $\pi_1$ ) recovers “how large the treatment effect must be for each of the treated on average,” i.e. the ATT.
- ▶ This is the logic of the Wald estimator for IV, which SCQE equals:

$$\begin{aligned} ATT &= \mathbb{E}[Y|D = 1, T = 1] - \left( \frac{\mathbb{E}[Y|T = 0] - \mathbb{E}[Y|D = 0, T = 1](1 - \pi_1) - \delta}{\pi_1} \right) \\ &= \frac{\mathbb{E}[Y|T = 1] - \mathbb{E}[Y|T = 0] - \delta}{\pi_1} \end{aligned}$$

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Consider the regression using  $\tilde{Y}_i$ ,

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in which  $\beta_{SCQE}$  is the SCQE (or  $\delta$ -adjusted-IV) estimate;  
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$$\widehat{SE}(\hat{\beta}_{SCQE}) = \frac{\hat{\sigma}_\mu}{\sqrt{N} \hat{\rho}_{D,T} \hat{\sigma}_D}, \quad (5)$$

where  $\hat{\rho}_{D,T}$  is the sample correlation of the treatment and time indicators.

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- ▶ resample clinics with replacement, re-estimate ATT
- ▶ get 95% CI from the 2.5<sup>th</sup> and 97.5<sup>th</sup> percentile of estimates.

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- ▶ **The connection**: SCQE is DID if you (i) learn the trend from the controls, and (ii) assume parallel trends

## Comparison to DID

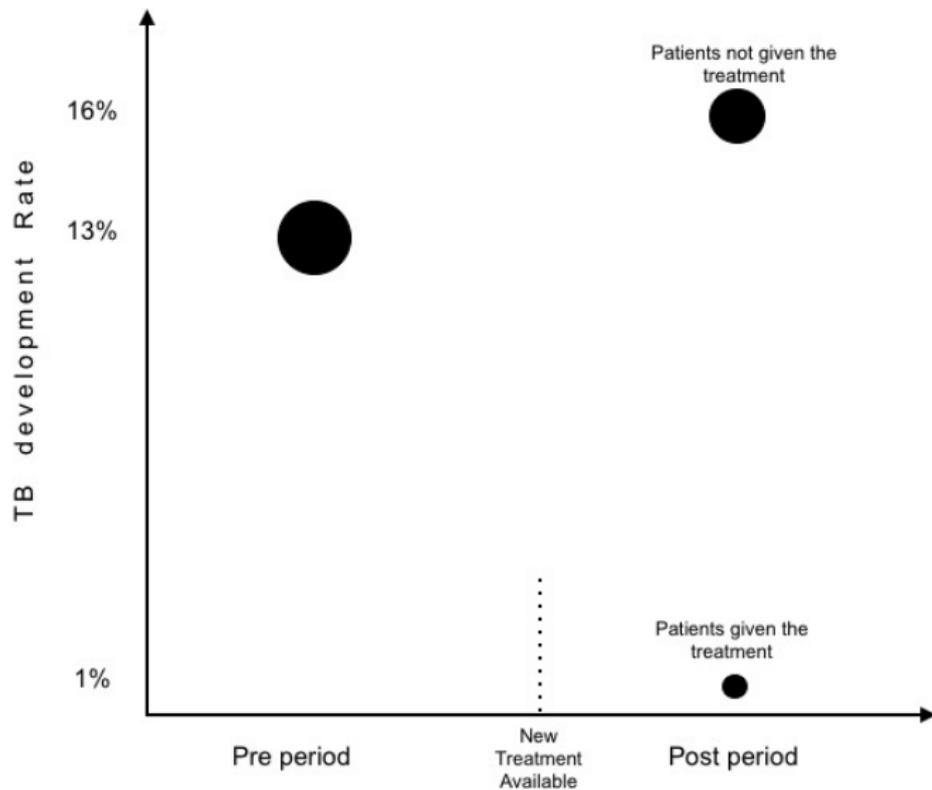
Biggest difference compared to DID is where you can use it:

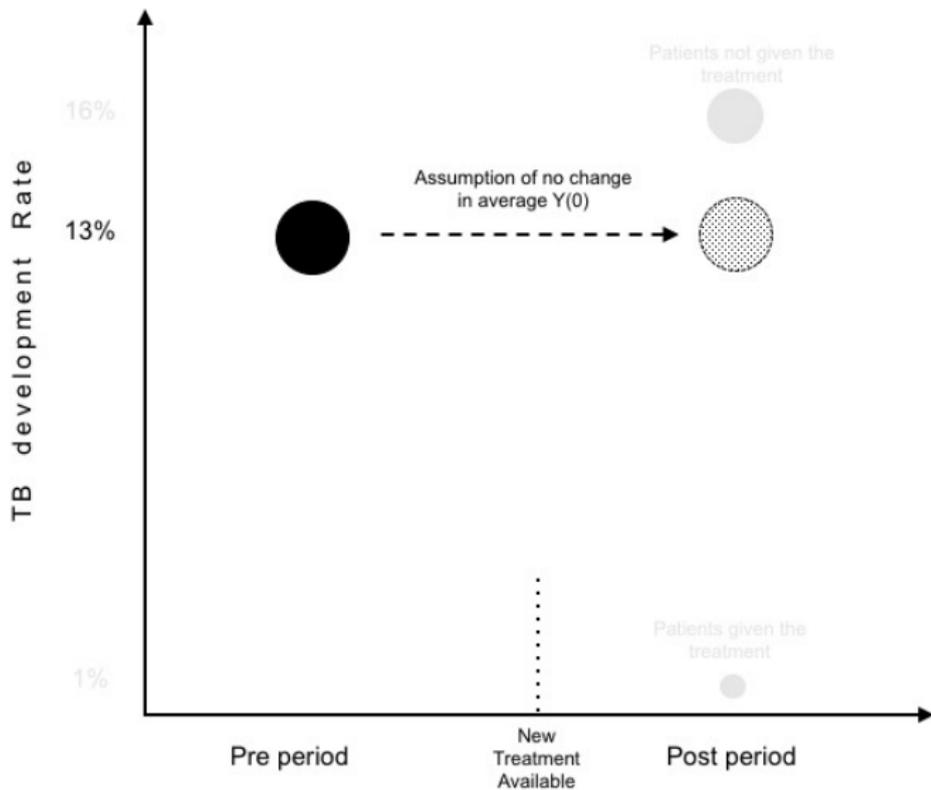
- ▶ Both cross-sectional and panel versions of DID require labeling each individual as “would be treated” or not.
- ▶ However SCQE works where you have a pre-treatment cohort for whom you cannot say who would have later been treated. E.g. a new [medication](#) or [media](#) treatment.

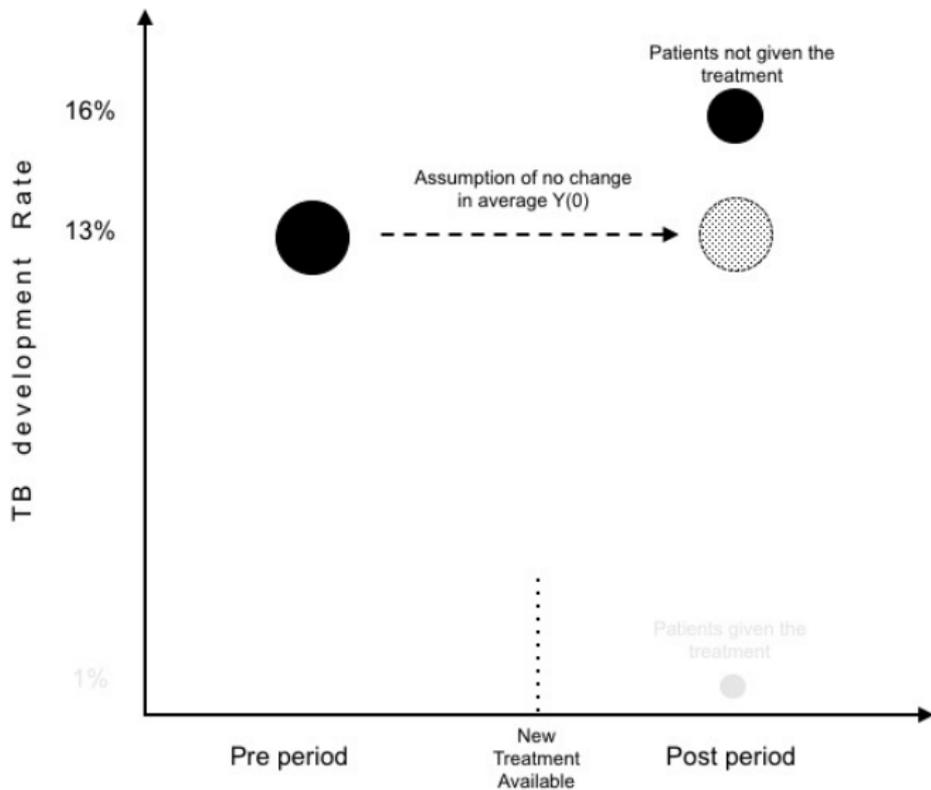
When you can do DID, it is a special case of SCQE:

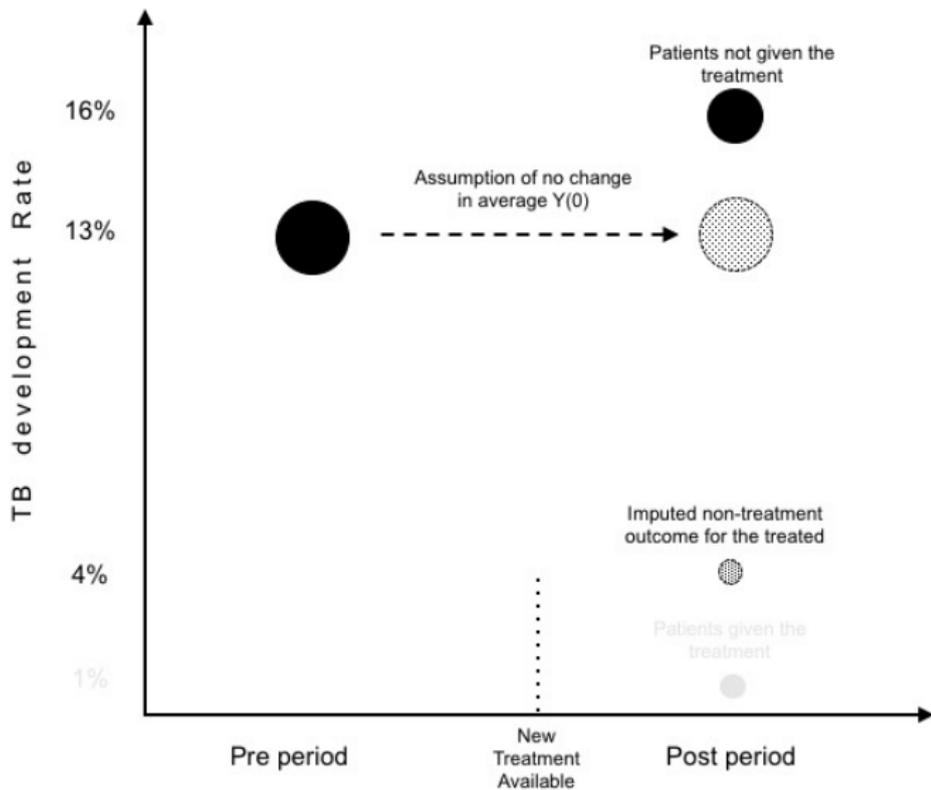
- ▶ Parallel trends: the two groups have the same trend in  $\mathbb{E}[Y(0)]$
- ▶ SCQE: There exists an average trend over the two groups,  $\delta$
- ▶ [The connection](#): SCQE is DID if you (i) learn the trend from the controls, and (ii) assume parallel trends
- ▶ Bonus: you aren't asked to compare a treated and control group on either level or trends of  $Y(0)$ .

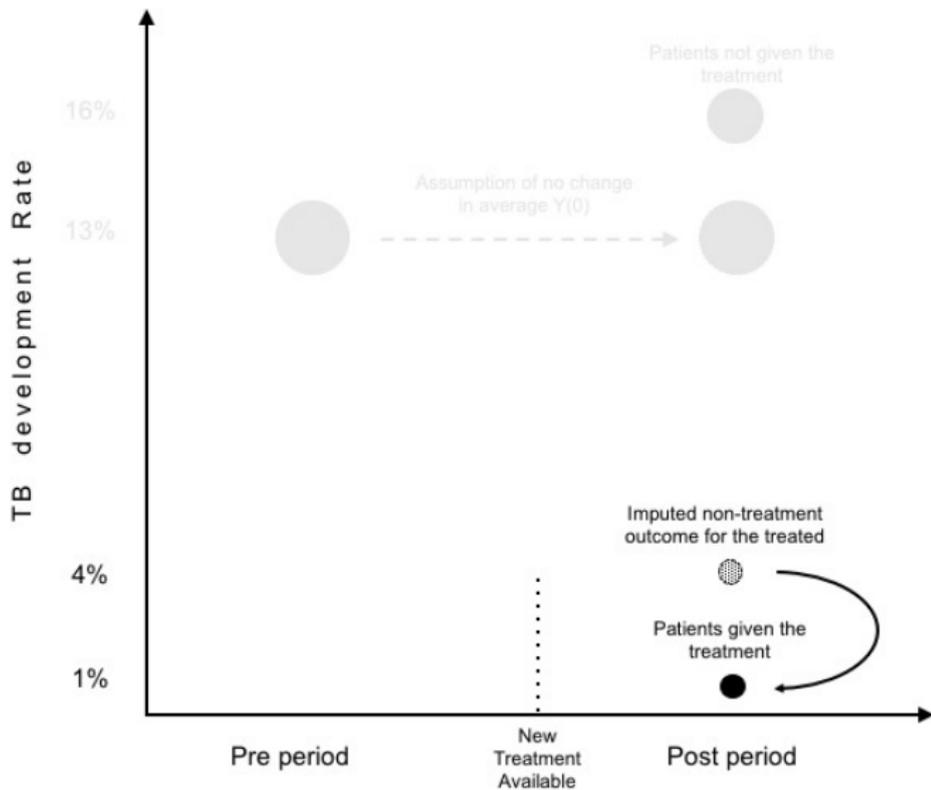
## A graphical explanation:











# Hydroxychloroquine: cohort comparison

Table 1: Comparison of hydroxychloroquine cohorts

A. Characteristics	Cohort means:	
	High-use	Low- use
age	57.86	55.75
over 65 y.o.	0.36	0.33
female	0.42	0.46
ethnicity: Hispanic	0.38	0.49
weight (Lb)	194.08	186.83
BMI	31.37	31.54
clinic referral	0.05	0.04
From Skilled Nursing Facility	0.04	0.09
ICU in first 24h	0.18	0.15
CRP (mg/L)	115	108
WBC (per mcL)	7.72	8.63
ferritin ( $\mu\text{g/L}$ )	747	601
procal (ng/mL)	0.89	1.11